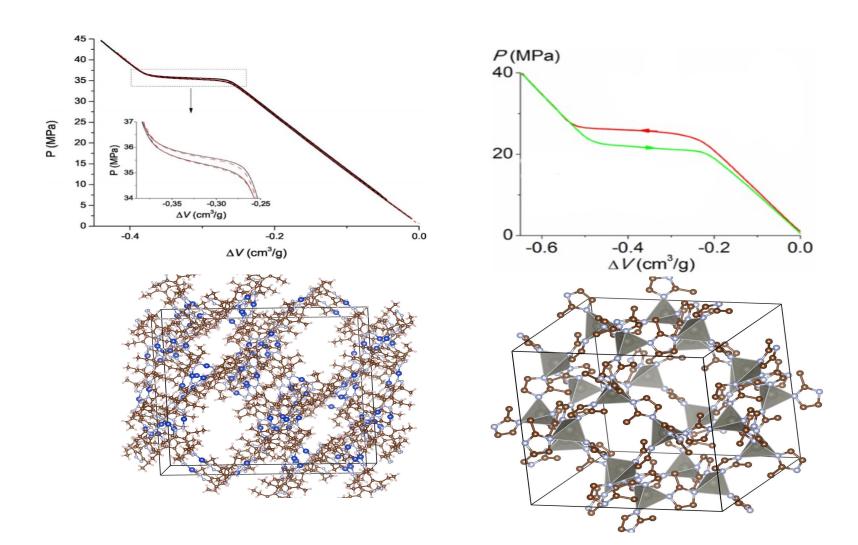
The peculiar physics of liquids confined within complex porous solids



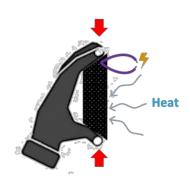






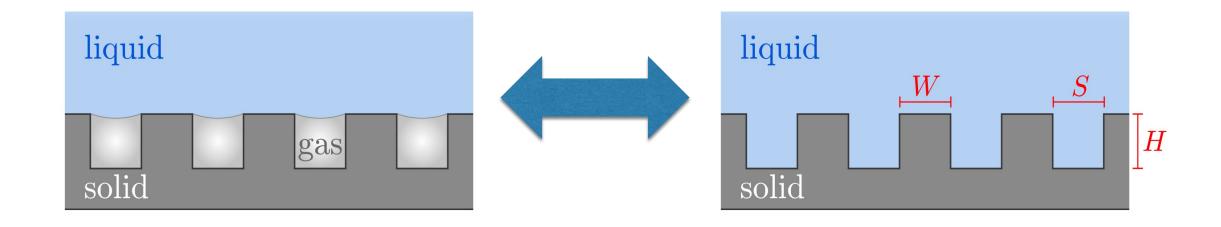


Work → Heat



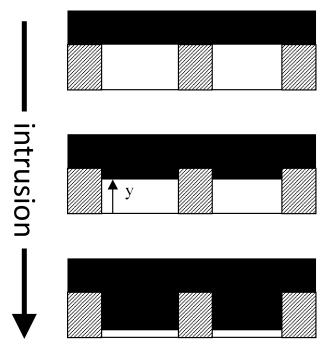


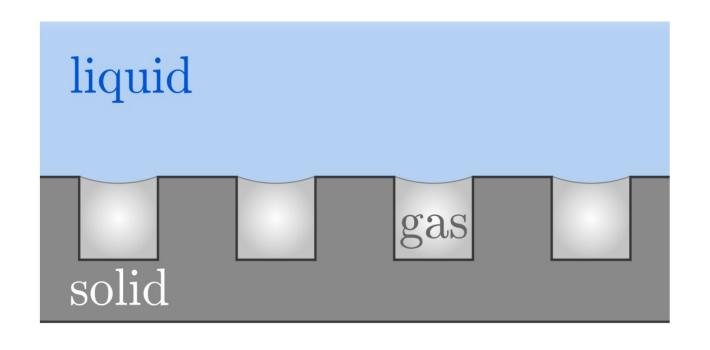




Self-recovery superhydrophobic surfaces: Modular design Lisi, Amabili, SM, Giacomello, Casciola ACS nano 12 (1), 359-367







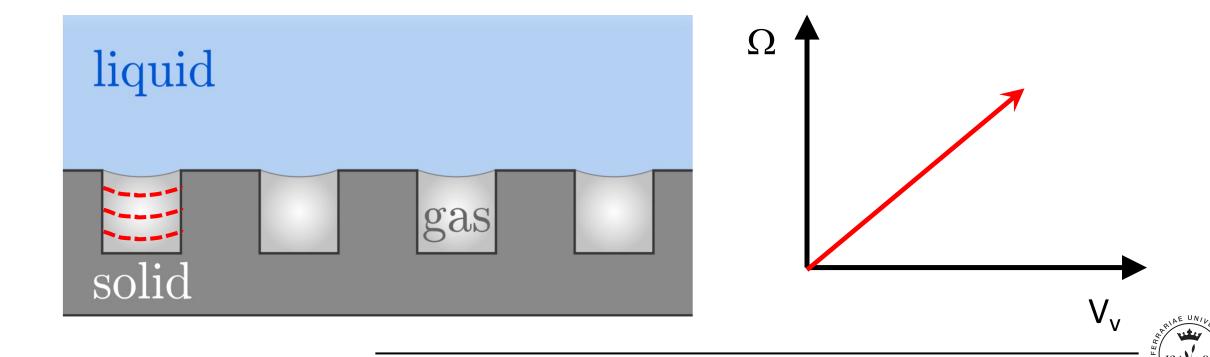
$$\Omega = \Delta P V_v + \gamma A_{lv} + \gamma_{sv} A_{sv} + \gamma_{sl} A_{sl}$$

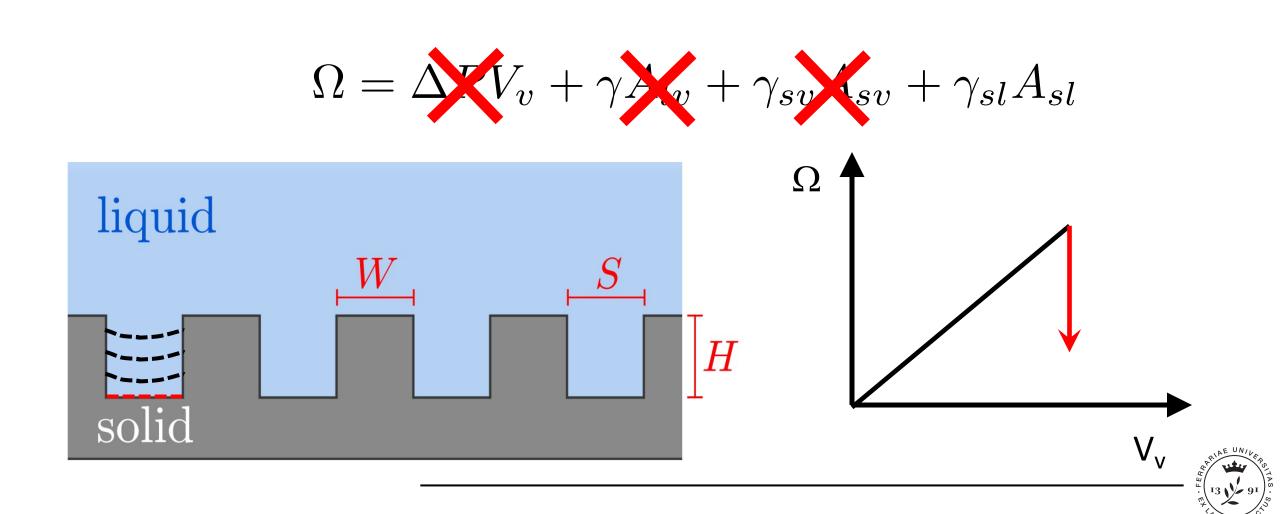
$$\Omega = \Delta V_v + \gamma \left(A_{lv} + \cos(\theta) A_{sv} \right) \quad \cos(\theta) = \left(\gamma_{sv} - \gamma_{sl} \right) / \gamma_{lv}$$

Bulk coexistence conditions

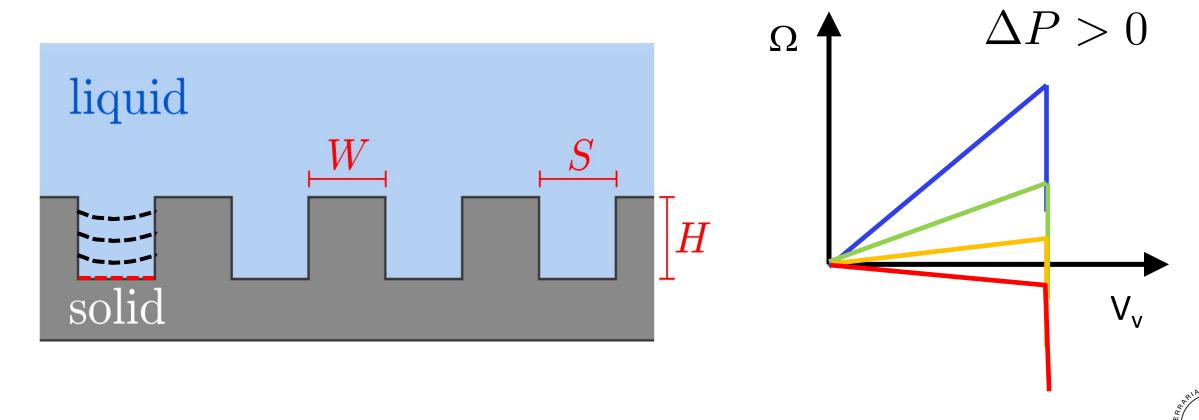


$$\Omega = \Delta V_v + \gamma \left(A_{lv} + \cos(\theta) A_{sv} \right)$$

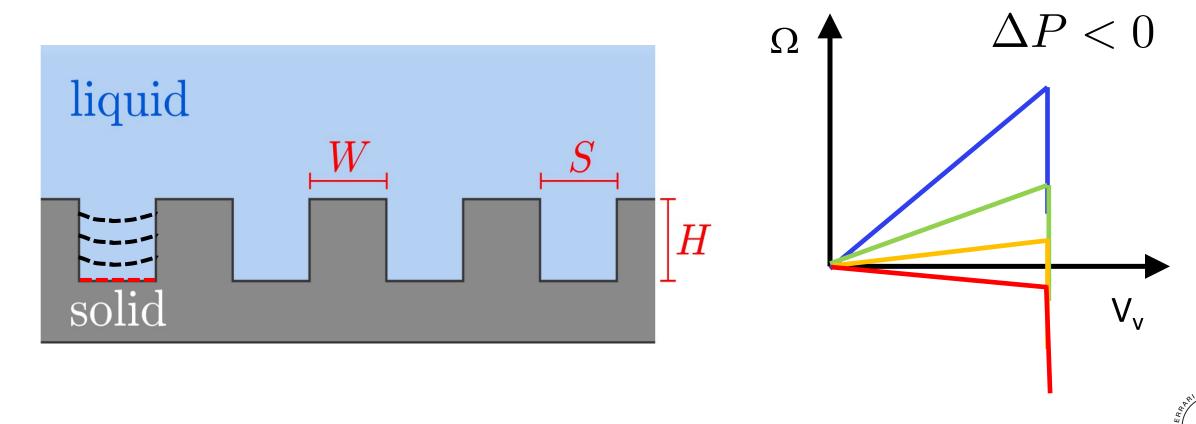




$$\Omega = \Delta P V_v + \gamma \left(A_{lv} + \cos(\theta) A_{sv} \right)$$



$$\Omega = \Delta P V_v + \gamma \left(A_{lv} + \cos(\theta) A_{sv} \right)$$



where $\beta = \theta_Y$ (dashed line in Fig. 1). Once the triple line Repinted the meniscus advances with constant curvature Line (dashed line advances with constant curvature) and show the line are linearly of the line and show the line are linearly of the line and show the line are linearly of the line and show the line are linearly of the line and linearly of the line are linearly of the linearly of th wall with prescribed m (i) the constraint $(1)^{\frac{\text{Pinnediji}}{\text{lym}}}$ to a segmetry corresponding to a sum one rectangular groove as in Fig. 1, by $= (\gamma_{sv} - \gamma_{sl})/\gamma_{lv} \equiv$ of Laplace equation at of metastable are independent; i e different thermodynamic conditions at ch t determined by the ned below, important given V, T, and system geometry. This is anisin. The pressure changing $p_l - p_v$ [1]. Although for more iterface $p_y - p_y$ is a ions μ , V, and T. It is acts as an additional geometries numerical schemes need to be de of the liquid volume. ing from the general theory, in this 2D g evaluated on solutions $\lambda = \partial I_{\rm eq}/\partial Z$. Since -0.25possible to derive an analytical expression struct by (thermodyrapic conditions are $\theta_{FIO}f_{2}$ (color poline). The dimensionless grand potential ω of the Miequid voluments and potential ω pliacoments unitarily as a function of the pormalized volume of liquid inside the that at given $ignstarted problem is a problem of the correspondence of the cover) pressure: <math>\Delta p = 0$

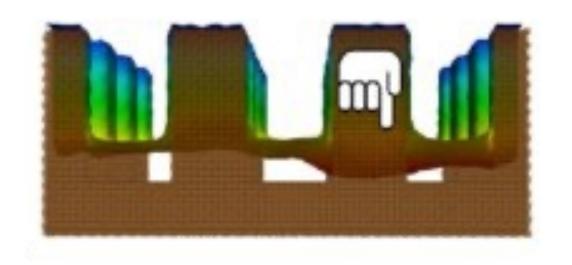
-n $\frac{1}{2}$ $\frac{1}{2}$

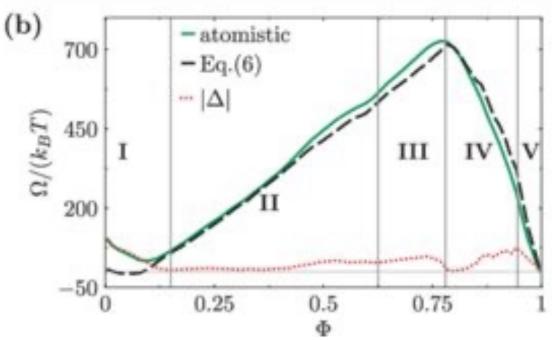
Thus, the con-

between CB and W.

$$\Omega = \Delta P V_v + \gamma A_{lv} + \gamma_{sv} A_{sv} + \gamma_{sl} A_{sl}$$

Confined Classical Nucleation Theory





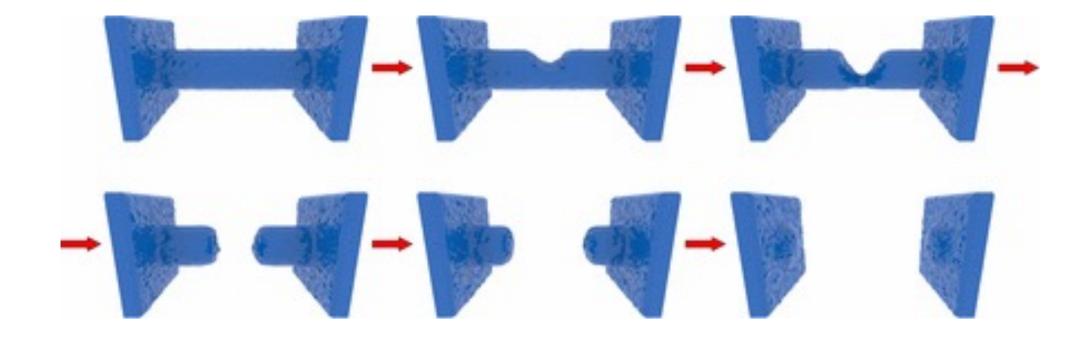
Activated wetting of nanostructured surfaces: reaction coordinates, finite size effects, and simulation pitfalls Amabili, SM, Giacomello, Casciola, The Journal of Physical Chemistry B 122, 200-212

Collapse of superhydrophobicity on nanopillared surfaces Amabili, Giacomello, Meloni, Casciola, Physical Review Fluids 2, 034202

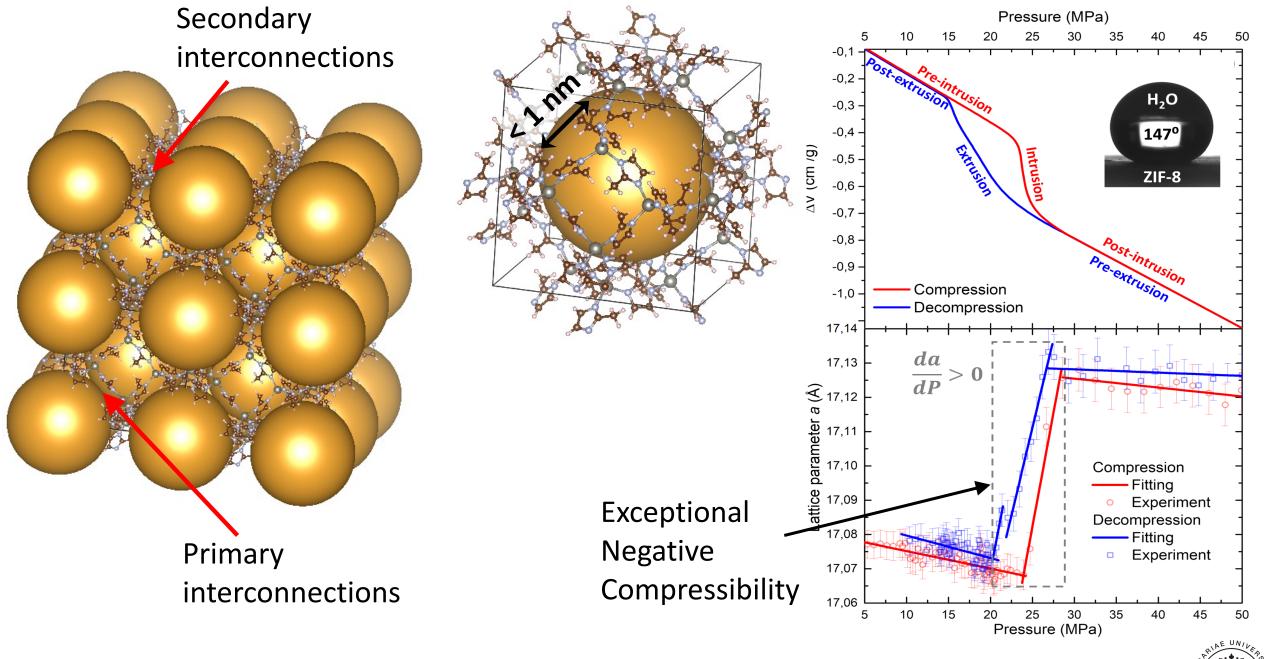
Liquid intrusion in and extrusion from non-wettable nanopores for technological applications

Giacomello, Casciola, Grosu, SM, to appear in Europhys. J. B

Metastable wetting on superhydrophobic surfaces: Continuum and atomistic views of the Cassie-Baxter-Wenzel transition



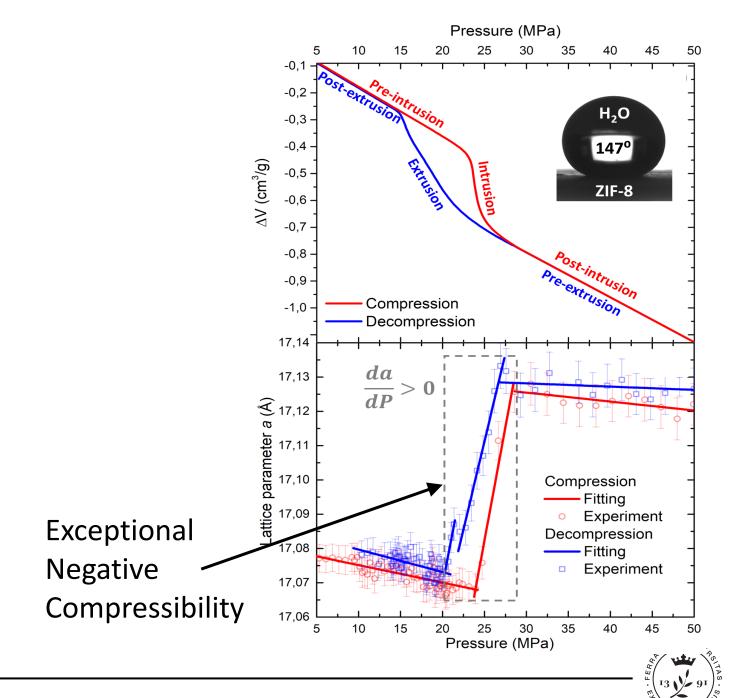


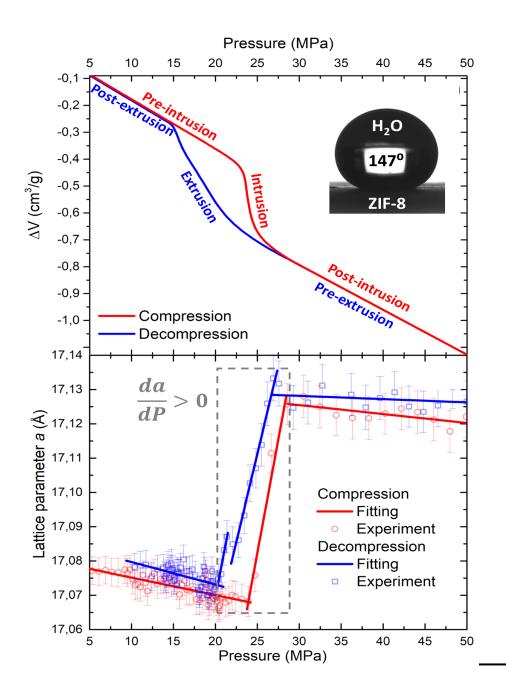


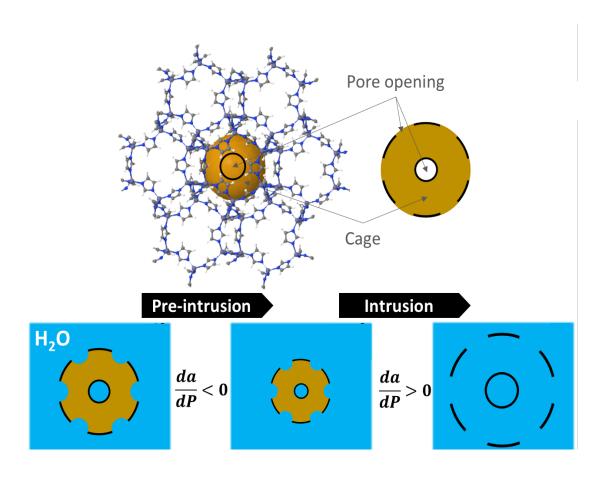
Giant Negative Compressibility by Liquid Intrusion into Superhydrophobic Flexible Nanoporous Framework Tortora et al, Nano Letters 21, 2848-2853

K	=	-1	•	∂V
		\overline{V}		∂P

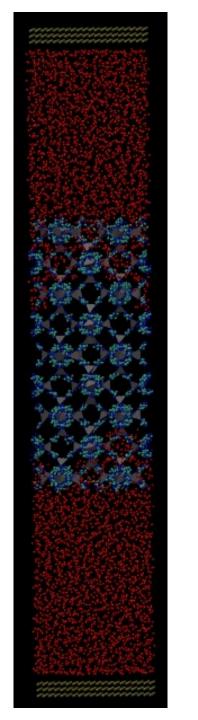
Material κ_l ,	TPa ⁻¹
BiB ₃ O ₆ (0 - 5 GPa)	-6.7
$BiB_3O_6 (P \rightarrow 0)$	12.5
MIL-53 MOF	-28
[Ag(en)]NO ₃	28.4
Zn[Au(CN) ₂] ₂	-42
MCF-34 MOF	47.3
InH(BDC) ₂	62.4
[Zn(L) ₂ (OH) ₂] _n	-72
Ag ₃ [Co(CN) ₆]	76.9
ZIF-8 MOF (intrusion) -	<mark>1020</mark>
ZIF-8 MOF (extrusion 1)	<mark>-770</mark>
ZIF-8 MOF (extrusion 2)	<mark>-610</mark>

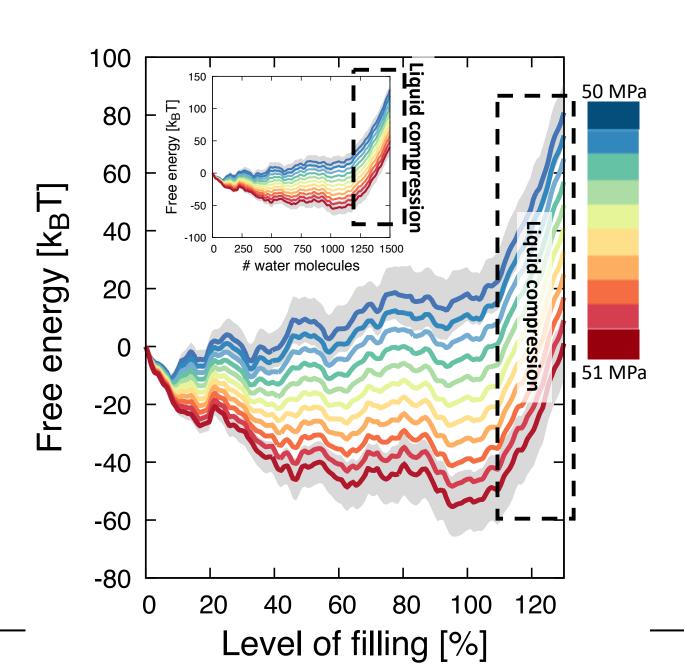




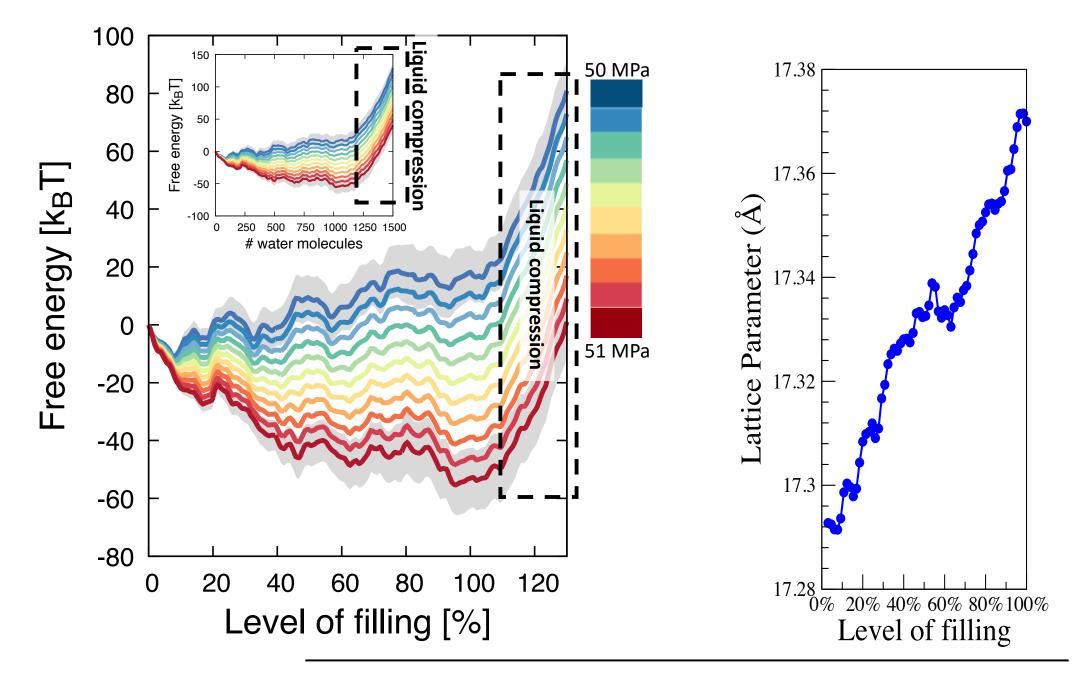




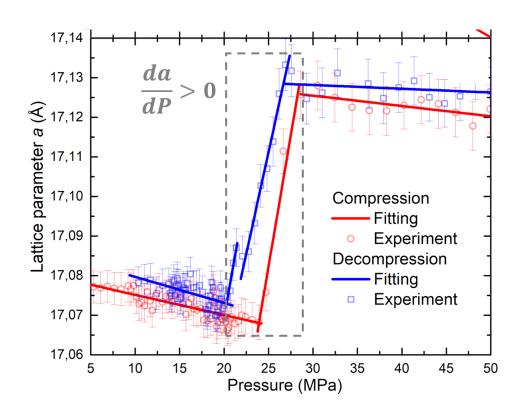


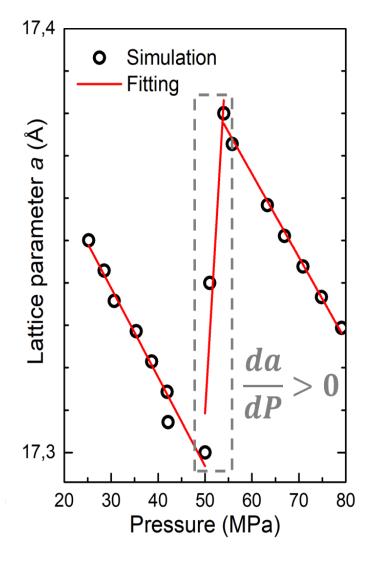




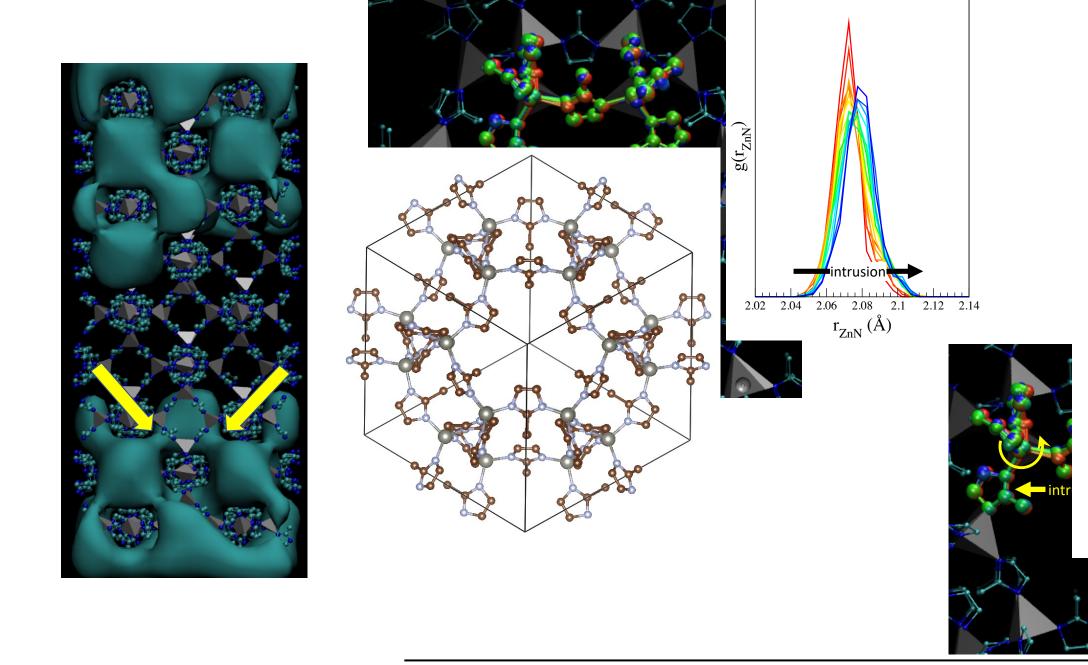




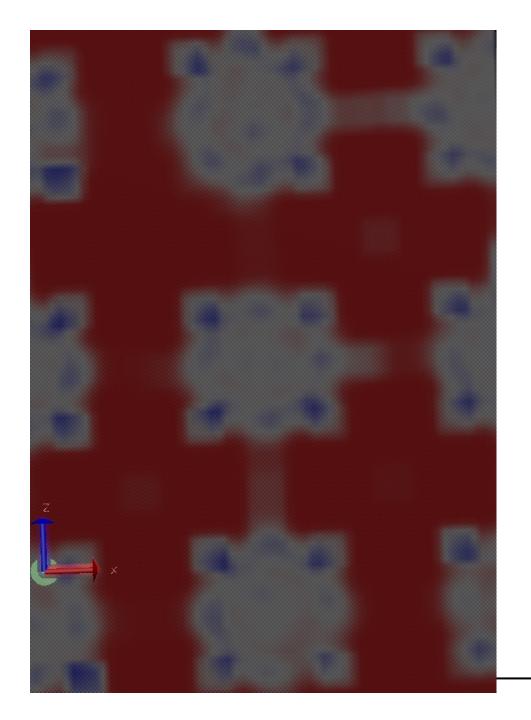


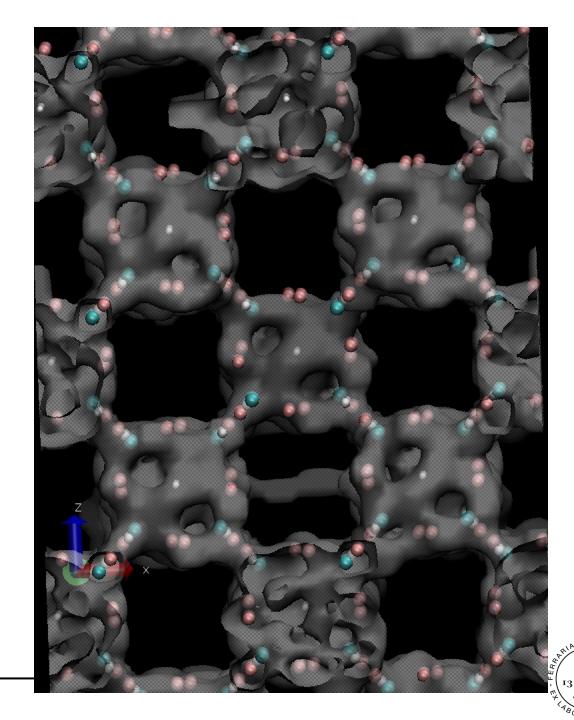


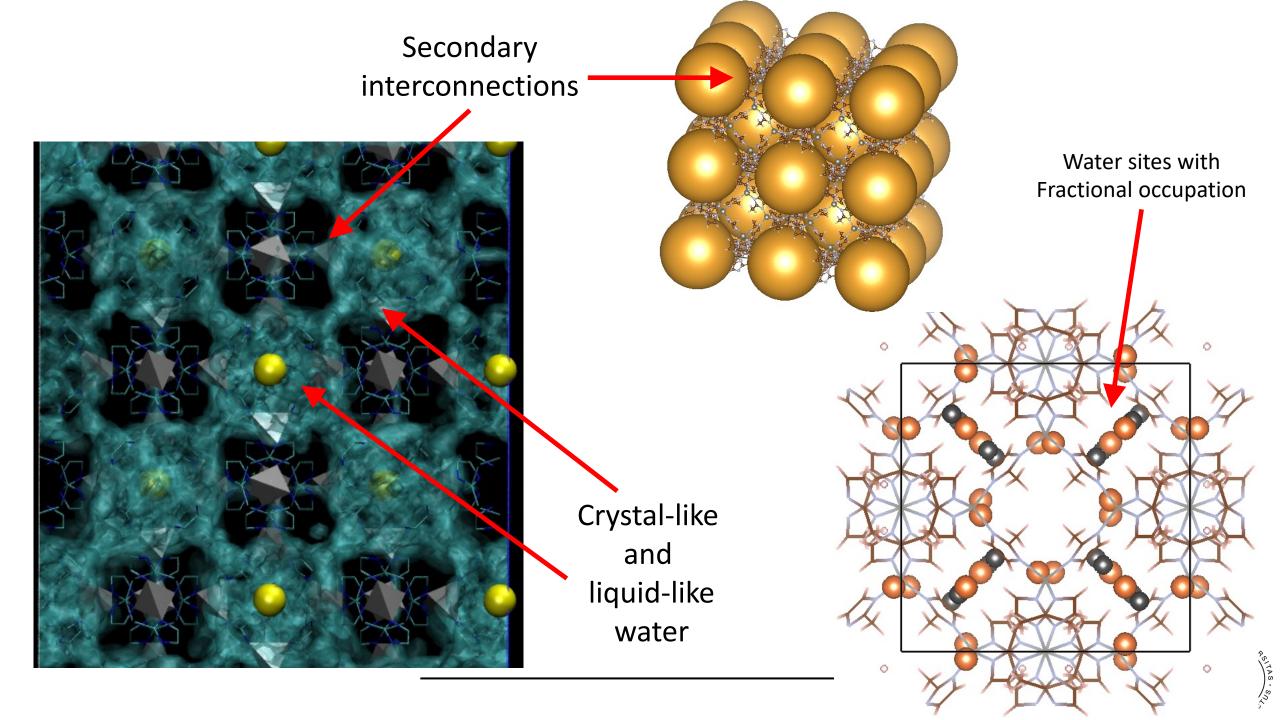


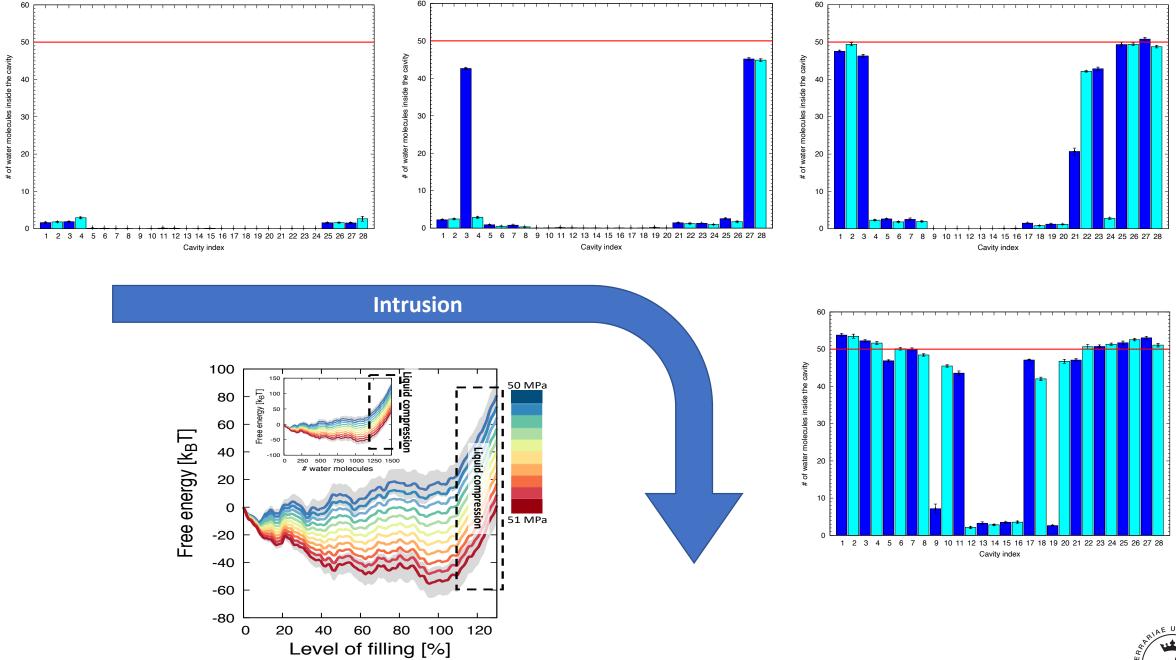


2.02 2.04 2.06 2.08 r_{ZnN} (

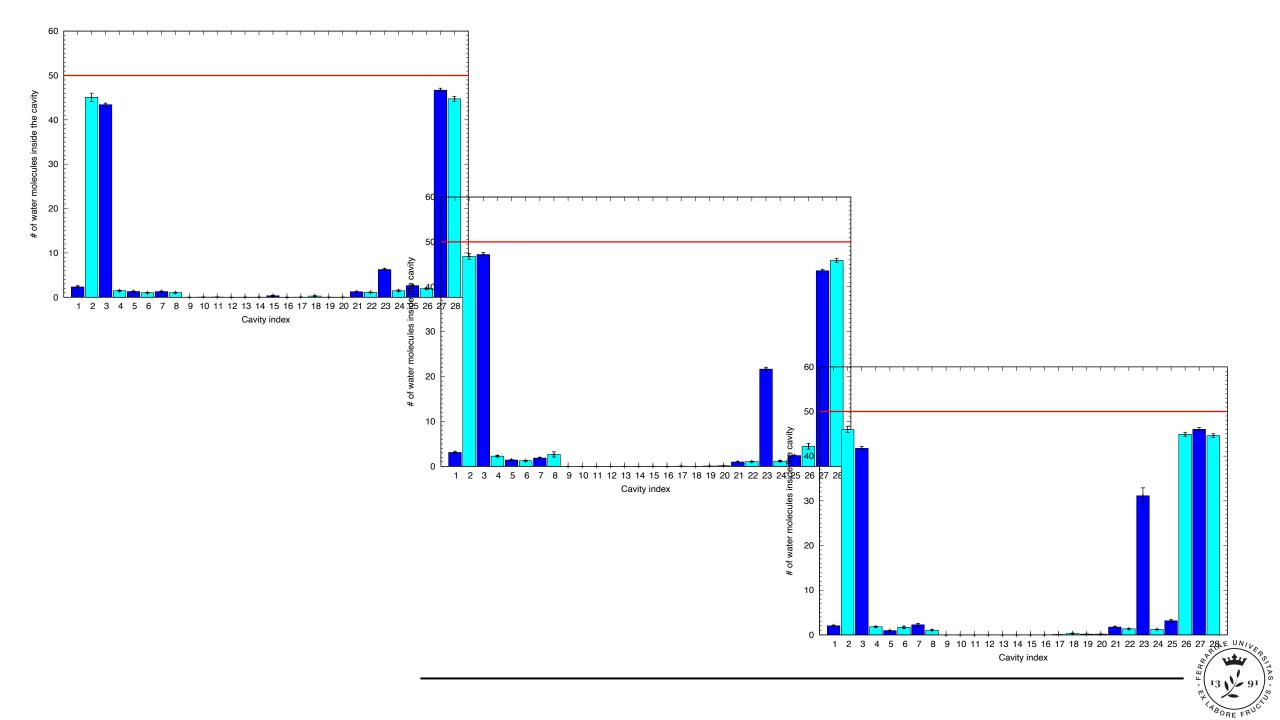


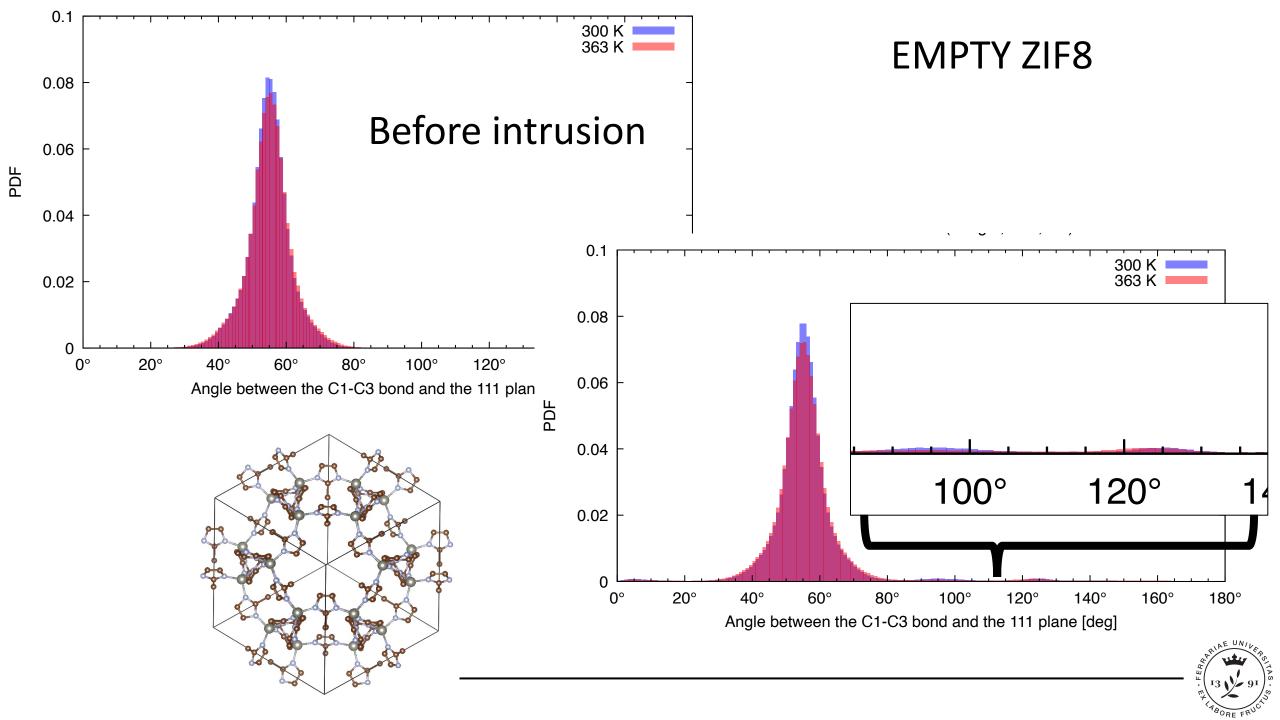


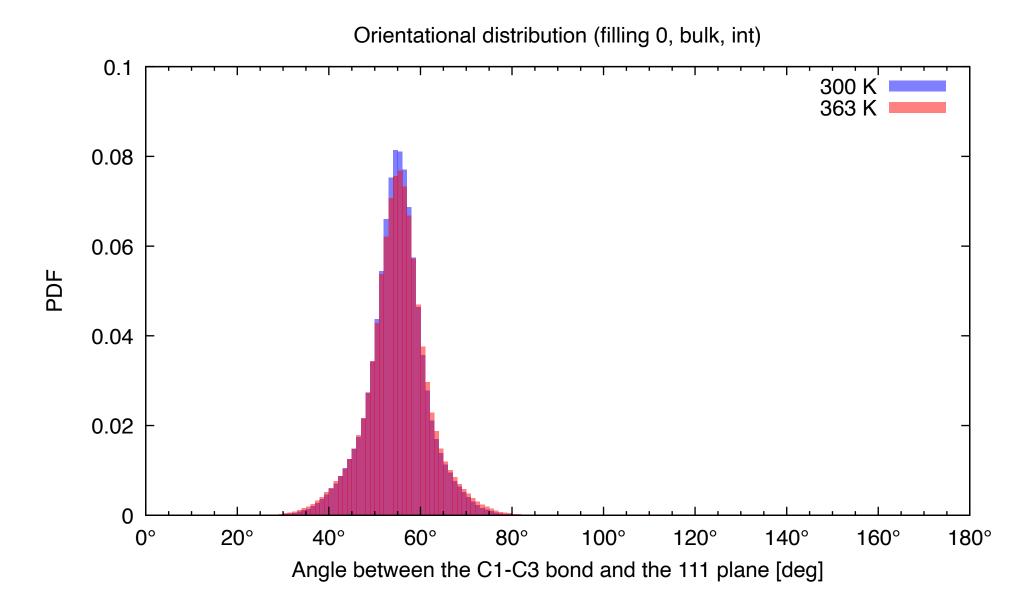




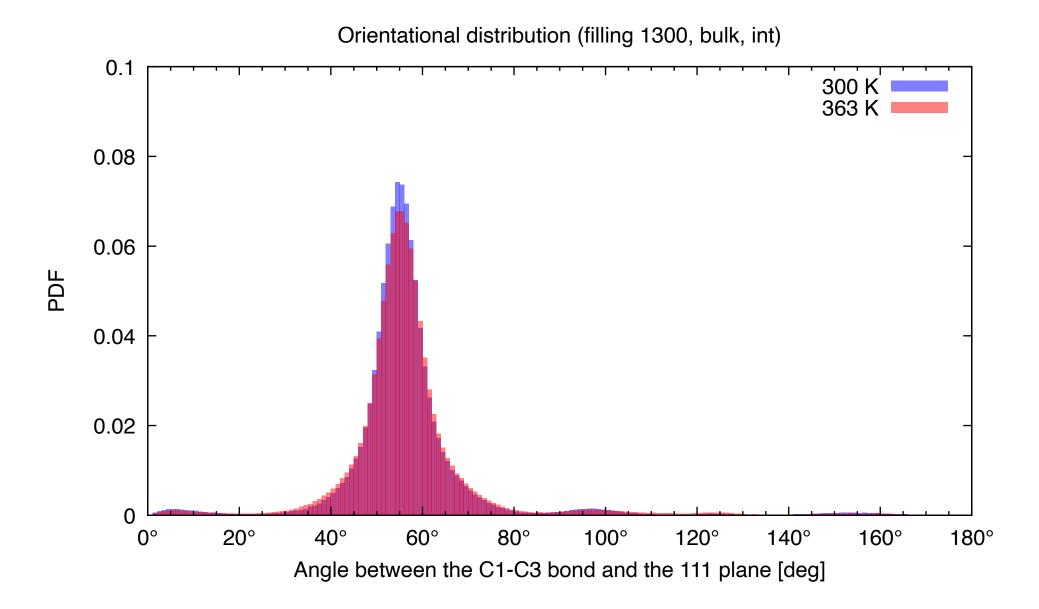




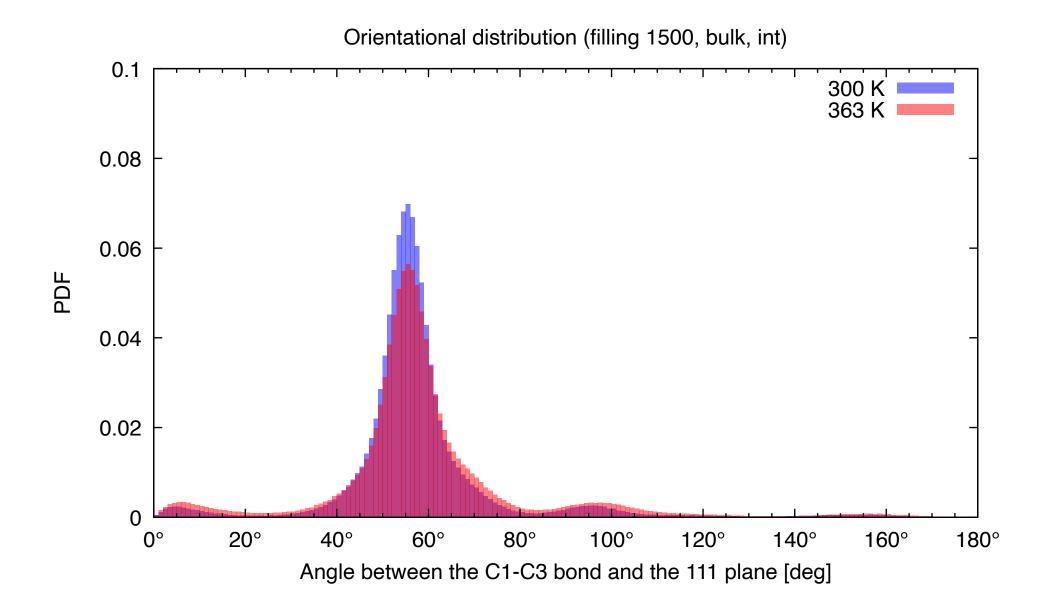




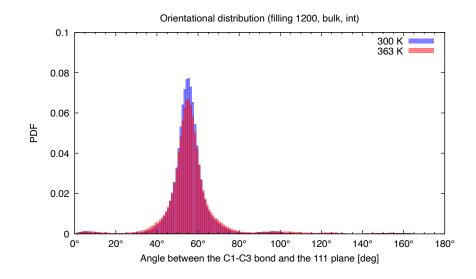


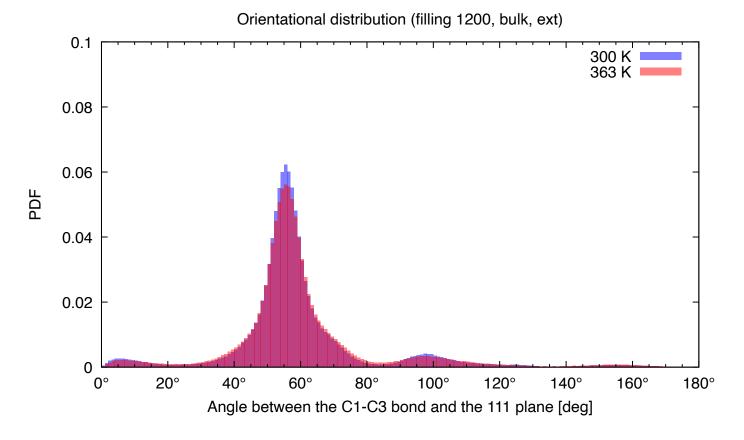




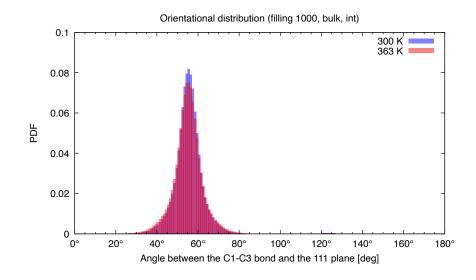


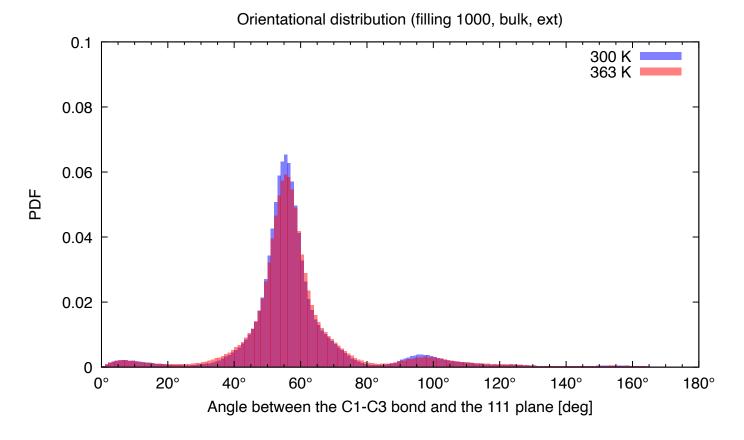




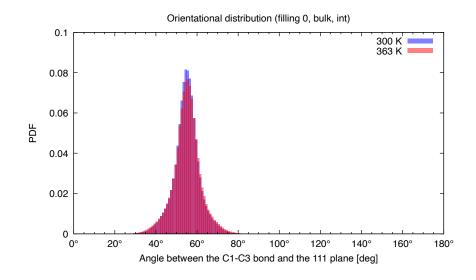


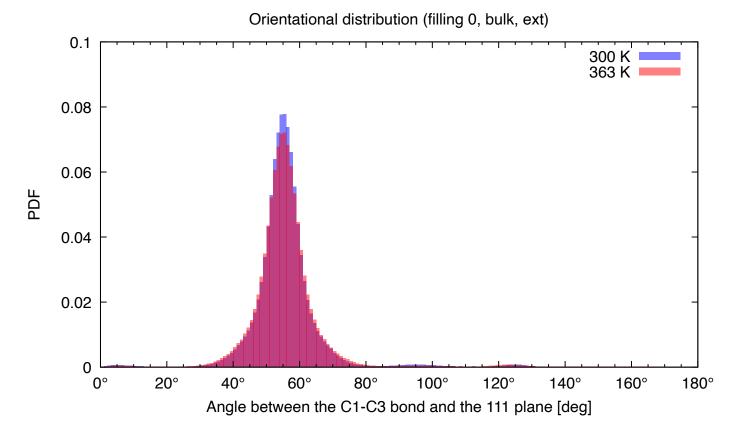














Conclusions

- Intruision of liquids in textured and porous materials is non trivial
- Crystalline porous materials increase the level of complexity
 - Flexibility
 - Ordering of liquid inside cavities (breakdown of the sharp interface model?)
 - Multiple levels of metastabilities: liquid state, configuration of the porous medium



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H2020-FET Electro-Intrusion



